# Route management modeling of high-speed trains on the train dispatcher section 

Obid Muhiddinov ${ }^{1}$ and Sunnatillo Boltayev ${ }^{1 *}$<br>${ }^{1}$ Tashkent State Transport University, Mirabad district of Tashkent city, Odilkhodzhaev street, house 1, 100167, Tashkent, Uzbekistan


#### Abstract

This article gives a brief overview on fragmentation and how to prepare for a high-speed train. Currently, on the sections where high-speed trains run, the train dispatcher uses his experience and high skills to solve this problem by preparing train routes, is the method of calculating the tracking and crossing stations, preparing tracks for trains at stations. This process is modeled using the Petri Nets. Keywords: train dispatcher, train dispatcher section, station, haul, route.


## 1 Introduction

Improving the train control system at the train dispatcher's station will reduce the time between different categories of trains, increase traffic safety and the capacity of the sections, as well as reduce the time of train stops at stations.

One of the most important tasks is to improve the quality of planning the passage through the train dispatcher section, based on the introduction of modern technologies in the transport process, taking into account the needs of transport.

The main task of the current plans is to identify the content of measures to address the difficulties that may arise during the movement of trains.

Currently, on the sections where high-speed trains run, the train dispatcher uses his experience and high skills to solve this problem by preparing train routes, ie the method of calculating the tracking and crossing stations, preparing tracks for trains at stations. [1-23]. In some cases, the decisions made by the train dispatcher are erroneous. According to a study conducted in [1-3], especially when there is a technological "MIRROR", the probability of making changes in the train schedule and making the right decision does not exceed $11 \%$.

## 2 Methods

For high-speed trains on the train dispatcher section, we will consider modeling the process of allowing stations to receive/send routes using the matrix method of Petri Nets mathematics. The process of admitting/sending routes is carried out using the following indicators. We determine the mathematical performance of the Petri Nets by comparing the automation and telemechanics equipment at the station, the condition of the tracks at the station, and the time on the schedule of high-speed trains at each station [24-34]. Where is,

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Fig. 1. A method of organizing the movement of ordinary trains on the moving part of a single train dispatcher section of high-speed trains.

$$
\begin{equation*}
\mathrm{C}=(\mathrm{P}, \mathrm{~T}, \mathrm{~S}) \tag{1}
\end{equation*}
$$

$\mathrm{P}=\left\{\mathrm{P}_{1}, \mathrm{P}_{2}, \mathrm{P}_{3}, \ldots, \mathrm{P}_{\mathrm{n}}\right\}$ - cases of automation and telemechanics devices at the station for receiving or sending routes.
$\mathrm{Z}=\left\{\mathrm{z}_{1}, \mathrm{Z}_{2}, \mathrm{Z}_{3}, \ldots, \mathrm{z}_{\mathrm{n}}\right\}-$ the time when the train is fully received at the station or when the train leaves the station completely.
$Y=\left\{y_{1}, y_{2}, y_{3}, \ldots y_{n}\right\}-$ the state of the roads at the receiving station during the routing process.
$S=\left\{S_{1}, S_{2}, S_{3}, \ldots, S_{n}\right\}$ - the priority of the train departing from the station.
$\tau=\left\{\tau_{1}, \tau_{2}, \tau_{3}, \ldots, \tau_{\mathrm{n}}\right\}-$ the time it takes to prepare routes for trains at the station.
$\delta=\left\{\delta_{1}, \delta_{2}, \delta_{3}, \ldots, \delta_{\mathrm{n}}\right\}$ - the time according to the schedule of the high-speed train to the receiving station during the preparation of the route.
$T=\left\{t_{1}, t_{2}, t_{3}, \ldots, t_{n}\right\}-$ the conditions for allowing the receiving station in the preparation of the route.

I - checks access conditions when preparing routes.
O - checks the exit conditions when preparing routes.
The Petri Nets also states that the conditions $P \bigcup T=S \bigcup T=X, P \cap T=S \bigcap T=\varnothing$ must be met.

Tables 1-7 show the route preparation for the stations on the train dispatcher's section. Petri Netss can be represented by matrices of I and O forms of mathematics. The rows in each matrix are arranged according to the status of the station's automation and telemechanics equipment, as well as the priority of the train and the conditions for the transfer of trains from one station to another.

Figure 2 simulates the process of setting up a route for moving trains on the high-speed train section of the train dispatcher section using the Petri Nets. Figure 2 shows the conditions associated with the priority of the train, the state of the automation and telemechanics devices [8-11] in the process of creating routes, which are as follows: entry (

$$
\begin{gathered}
\left.I\left(t_{1}\right)=\left\{P_{1}, S_{1}\right\}, I\left(t_{2}\right)=\left\{P_{2}, S_{1}\right\}, I\left(t_{3}\right)=\left\{P_{2}, S_{1}\right\}, I\left(t_{4}\right)=\left\{P_{3}, S_{1}\right\}\right) \\
\quad \text { exit }\left(O\left(t_{1}\right)=\left\{P_{2}\right\}, O\left(t_{2}\right)=\left\{P_{1}\right\}, O\left(t_{3}\right)=\left\{P_{3}\right\}, O\left(t_{4}\right)=\left\{P_{2}\right\}\right)
\end{gathered}
$$



Fig. 2. Petri Nets-based model of the process of organizing the movement of ordinary trains on the moving part of high-speed trains on a single train dispatcher section.

Table 1. Conditions of automation and telemechanics devices in the process of routing.

| № | $\mathbf{P}_{\mathbf{i}}$ | Multiple positions |
| :---: | :---: | :---: |
| 1 | $\mathrm{P}_{1}$ | Checking the status of automation and telemechanics devices for receiving or <br> dispatching a train at the first station |
| 2 | $\mathrm{P}_{2}$ | Checking the status of automation and telemechanics devices for receiving or <br> dispatching a train at the second station |
| 3 | $\mathrm{P}_{3}$ | Checking the status of automation and telemechanics devices for receiving or <br> dispatching trains at the third station |

Table 2. Priorities of train departures from the station.

| № | $\mathbf{S}_{\mathbf{i}}$ | Multiple positions |
| :---: | :---: | :---: |
| 1 | $\mathrm{~S}_{1}$ | Priority of the train departing from the first station |

Table 3. The time the train arrives at the receiving station.

| $\mathbf{N o}$ | $\mathbf{Z}_{\mathbf{i}}$ | Multiple positions |
| :---: | :---: | :---: |
| 1 | $\mathrm{Z}_{1}$ | The time when the train departing from the first station is completely out and <br> the opportunity to prepare for the next route begins |
| 2 | $\mathrm{Z}_{2}$ | The time when the train departing from the first station is fully accepted at <br> the second station |
| 3 | $\mathrm{Z}_{3}$ | The time when the train departing from the second station is completely out <br> and the opportunity to prepare for the next route begins |
| 4 | $\mathrm{Z}_{4}$ | The time when the train departing from the second station is fully accepted to <br> the third station |

Table 4. Conditions of roads at the receiving station.

| № | $\mathbf{Y}_{\mathbf{i}}$ | Multiple positions |
| :---: | :---: | :---: |
| 1 | $\mathrm{y}_{1}$ | Check the condition of the roads at the second station |
| 2 | $\mathrm{y}_{2}$ | Check the condition of the roads at the third station |

Table 5. Scheduled travel times of high-speed trains to stations.

| № | $\boldsymbol{\delta}_{\mathbf{i}}$ | Multiple positions |
| :---: | :---: | :---: |
| 1 | $\delta_{1}$ | The time when the high-speed train departing from the first station is <br> completely out |
| 2 | $\delta_{2}$ | The time when a high-speed train departing from the first station is fully <br> accepted at the second station |


| 3 | $\delta_{3}$ | The time when the high-speed train departing from the second station is |
| :---: | :---: | :---: |
| completely out |  |  |

Table 6. Route setup times at stations.

| $\mathbf{N o}$ | $\tau_{\mathbf{i}}$ | Multiple positions |
| :---: | :--- | :---: |
| 1 | $\tau_{1}$ | The time it takes to prepare the route from the first station to the shipment |
| 2 | $\tau_{2}$ | The time it takes to prepare the route for admission to the second station |
| 3 | $\tau_{3}$ | The time it takes to prepare the route from the second station to the shipment |
| 4 | $\tau_{4}$ | The time it takes to prepare the route for admission to the third station |

Table 7. Check the station's terms of accepting or dispatching the train.

| № | $\mathbf{T}_{\mathbf{i}}$ | Multiple positions |
| :---: | :---: | :---: |
| 1 | $\mathrm{t}_{1}$ | Check the condition of sending the train from the first station to the second <br> station |
| 2 | $\mathrm{t}_{2}$ | Check the condition of the second station to accept the train departing from <br> the first station |
| 3 | $\mathrm{t}_{3}$ | Check the condition of sending the train from the second station to the third <br> station |
| 4 | $\mathrm{t}_{4}$ | Check the condition of the third station to accept the train departing from the <br> second station |

According to the matrix method of Petri Nets mathematics, j - is the intersection of rows and $\varepsilon$ - is the intersection of columns $\mathrm{i}_{\mathrm{j} \varepsilon}$ equal to the element, if $\mathrm{p}_{\varepsilon}$ If there is an arc at the top of the ground and $\mathrm{t}_{\mathrm{j}}$ at the top of the transition, it is equal to it, otherwise it is zero. j - row and $\varepsilon$-standing at the intersection of the columns $\mathrm{o}_{\mathrm{j} \varepsilon}$ element $\mathrm{t}_{\mathrm{j}}$ if there is an arc at the top of the $p_{\varepsilon}$ from the top of the transition, it will be equal if $t_{j}$ is zero without an arc. If $t_{j}-$ from $p_{\varepsilon}$ - to the bow, Petri Nets will not be available [24-26]. The mathematics of the Petri Nets can be written in the form of expressions (2) - entry, (3) - exit conditions for checking the condition and priority of trains in the process of creating trains for receiving or sending trains at stations:

$$
\begin{gather*}
I=\left|i_{j \varepsilon}\right|=\left|\begin{array}{llll}
i_{11} & i_{12} & i_{13} & i_{14} \\
i_{21} & i_{22} & i_{23} & i_{24} \\
i_{31} & i_{32} & i_{33} & i_{34} \\
i_{41} & i_{42} & i_{43} & i_{44}
\end{array}\right|  \tag{2}\\
i_{j \varepsilon}=\left\{\begin{array}{l}
1, \text { if } \rightarrow p_{\varepsilon} \in P^{I} t_{j} \cup t_{j} \in T^{0} p_{\varepsilon}, \\
0, \text { if } \rightarrow p_{\varepsilon} \notin P^{I} t_{j} \cap t_{j} \notin T^{0} p_{\varepsilon} .
\end{array}\right.
\end{gather*}
$$

$$
\begin{gather*}
O=\left|o_{j \varepsilon}\right|=\left|\begin{array}{llll}
o_{11} & o_{12} & o_{13} & o_{14} \\
o_{21} & o_{22} & o_{23} & o_{24} \\
o_{31} & o_{32} & o_{33} & o_{34} \\
o_{41} & o_{42} & o_{43} & o_{44}
\end{array}\right|  \tag{3}\\
o_{j \varepsilon}=\left\{\begin{array}{l}
1, \text { if } \rightarrow p_{\varepsilon} \in P^{0} t_{j} \cup t_{j} \in T^{I} p_{\varepsilon} \\
0, \text { if } \rightarrow p_{\varepsilon} \notin P^{0} t_{j} \cap t_{j} \notin T^{I} p_{\varepsilon}
\end{array}\right.
\end{gather*}
$$

## 3 Results

The routes that can be installed at the stations are modeled using Petri Nets mathematics according to the route preparation modes at the stations shown in Figure 1 (Figure 2). The preparation of routes at the stations shown in Figure 1 shows the preparation of routes in accordance with the schedule of high-speed trains.

How to set up an automatic route on the train dispatcher section:
The high-speed train dispatcher sends information about $\{Z\}$ to all stations on the train section that are about to depart from the first station on the moving section. If positive data $S_{1}$ and $P_{1}$ are received from the first station, then $t_{1}$ is comparable to the difference between $\mathrm{Z}_{1}$ and $\delta_{1}$.

If condition $\mathrm{z}_{1}-\delta_{1}>\tau_{1}$ is met, the second station checks the information about the acceptance of the train, otherwise the train $S_{1}$ will not be sent from the first station.

If $t_{1}$ the condition is satisfied, the second station sends the information $P_{2}$ and $y_{1}$ on the reception of the train $\mathrm{S}_{1}$ to the condition $\mathrm{t}_{2}$.

If $y_{1}$ and $P_{2}$ are positive, then $t_{2}$ is comparable to the difference between, $z_{2}$ and $\delta_{2} \tau_{2}$.
If $\mathrm{z}_{2}-\delta_{2}>\tau_{2}$ the condition is met, the $\mathrm{S}_{1}$ train will be sent from the first station and accepted to the second station, otherwise the $S_{1}$ train will not be sent from the first station.

If the $S_{1}$ train has to leave the section, then the possibility of passing the train without stopping at the second station will be checked. If positive data $P_{2}$ and $S_{1}$ come from the second station, then $\mathrm{t}_{3}$ is compared to the difference between $\mathrm{z}_{3}$ and $\mathrm{d}_{3}$.

If the condition $\mathrm{z}_{3}-\delta_{3}>\tau_{3}$ is met, the third station checks the information about the acceptance of the train, otherwise the train $S_{1}$ will not be sent from the second station.

If $t_{3}$ the condition is satisfied, the data $P_{3}$ and $y_{2}$ on the acceptance of the third station $S_{1}$ train will be sent to the condition $t_{4}$.

If $\mathrm{y}_{2}$ are positive, then $\mathrm{t}_{4}$ is comparable to the difference between, $\mathrm{z}_{4}$ and $\delta_{4}$.
If $\mathrm{z}_{4}-\delta_{4}>\tau_{4}$ the condition is met, the train $\mathrm{S}_{1}$ from the second station will be sent without stopping and will be accepted to the third station, otherwise the train $\mathrm{S}_{1}$ will not be sent from the second station.

The same route will be prepared by the train dispatcher at the remaining stations where high-speed trains run.

## 4 Conclusion

In conclusion, the method discussed in the article is used in the preparation of routes for highspeed trains to organize the movement of ordinary trains on the moving part of a single train
dispatcher section. The train traffic control method discussed in this article is modeled using Petrie network mathematics. The Petri Nets was obtained on the basis of the analysis of the correlation conditions of the mathematical parameters and the compatibility of the automation and telemechanics devices at the station. This compares the time it takes to prepare a route for high-speed trains after the entry / exit routes that can be installed at the stations.

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[^0]:    * Corresponding author: sunnat_3112@mail.ru

